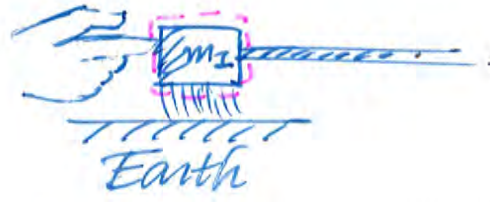


Title

Newton's 2nd Law (N2L)

Ingredients

Sketch



At/Through

t

Owner

System

Quantity

Net force

Inertial mass

Acceleration

Variable

$\Sigma \vec{F}$

m_I

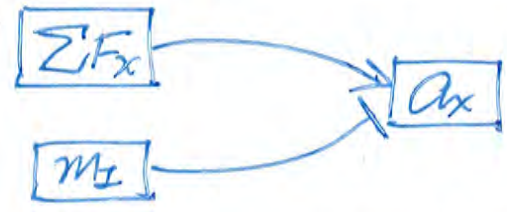
\vec{a}

Giver

External environment

Recipe

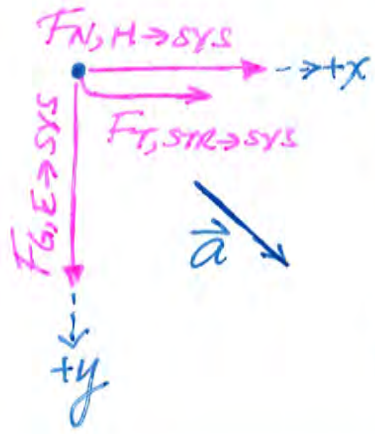
Diagram the relationship



Graphically present quantities

Force diagram

- Bubble the system
- Earth nearby?
- Touching?
- Axis system



Force-components chart

\underline{F}	$\underline{F_x}$	$\underline{F_y}$
ΣF		

Mathematical relationship

$$\vec{a} = \frac{\Sigma \vec{F}}{m_I}$$

$$a_x = \frac{\Sigma F_x}{m_I} \quad a_y = \frac{\Sigma F_y}{m_I}$$

The top half of this sheet consists of an “**Ingredients**” section with a row labeled “Sketch”, a row labeled “At/Through”, a row labeled “Owner”, a row labeled “Quantity”, a row labeled “Variable”, and a row labeled “Giver.”

Sketch: Block is surrounded by a dashed system bubble and contains label that reads $m\text{-sub-}l$. Curved trailing whooshies underneath block indicate block is in midst of upward motion and has been recently transitioned from diagonal motion toward the upper left. A surface underneath is near, but not touching, the block. Under the surface is a label for “Earth”. A string is attached to the right side of the block and extends horizontally to the right with no slack. The index finger of a hand to the left of the block is touching the left side of the block.

Remaining rows of Ingredients section are used for a flowchart illustrating the following:

At time t , the Owner is the System. The System owns the Quantity Net force denoted by variable $\Sigma\text{-F-vector}$ given by Giver External environment. The System also owns the Quantity Inertial mass denoted by Variable $m\text{-sub-}l$. The System also owns the Quantity Acceleration denoted by Variable $a\text{-vector}$.

The bottom half of this sheet consists of a “**Recipe**” section with a row labeled “Diagram the relationship”, a row labeled “Graphically present quantities”, and a row labeled “Mathematical relationship”.

Diagram the relationship

A flowchart arrow shows that net-x-force $\Sigma\text{-F-sub-}x$ contributes to x-acceleration $a\text{-sub-}x$. Another curve with a flat terminus (hammerhead shark symbol) shows that inertial mass $m\text{-sub-}l$ inhibits x-acceleration $a\text{-sub-}x$.

Graphically present quantities

Title of first section: Force diagram

Acronym BETA, spelled B-E-T-A:

B stands for Bubble the system.

E stands for Earth nearby?

T stands for Touching?

A stands for Axis system.

Illustration of sample force diagram represents system as a dot. Gravitational force of Earth on system is represented by a downward arrow originating from dot and labeled $F\text{-sub-}G,E\text{-on-sys}$. Tension force string exerts on system is represented by an arrow extending horizontally to the right from the dot and labeled $F\text{-sub-}T,STR\text{-on-sys}$. Normal force hand exerts on system is represented by an arrow extending horizontally to the right from the dot and labeled $F\text{-sub-}N,H\text{-on-sys}$. Where two arrows would otherwise overlap, the arrows are deliberately slightly misprinted offset and parallel. Where this deliberate misprinting would cause a tail of a force arrow to detach from the system dot, a small curve is attached to the tail of the force arrow to keep the force arrow and system dot connected. An acceleration vector pointing diagonally toward the lower-right is labeled $a\text{-vector}$. Dashed axis arrows extend out from the dot to indicate that the $+y$ direction points downward and the $+x$ direction points toward the right, in this example.

Title of second section: Force-components chart

Table, three rows

Header for 1st column: F

Header for 2nd column: $F\text{-sub-}x$

Header for 3rd column: $F\text{-sub-}y$

Three blank rows

Then, in the subsequent, final row, the entry in the 1st column is $\Sigma\text{-F}$.

Mathematical relationship

$a\text{-vector} = \Sigma\text{-F-vector} \text{ divided by } m\text{-sub-}l$

$a\text{-sub-}x = \Sigma\text{-F-sub-}x \text{ divided by } m\text{-sub-}l$

$a\text{-sub-}y = \Sigma\text{-F-sub-}y \text{ divided by } m\text{-sub-}l$